	Year at a Glance: Math - Gr. 7 Student Learnin	<u>ig Obj</u> e	ctives (	lustere	ed by Un	lit		_				
OCUMENT KEY: WALT (That) indicates a concep	t. WALT (To) indicates a skill.											
			Ur	nit 1		Unit 2			Unit 3		Un	it 4
T.	Focus - Explicit Instruction and Assessment		Operati	ons with	Equations	, Inequalitie	s, and Two-	Propor	tionality and	l Three-	Probabi	lity and
Key	Revisited and Reinforced			Numbers	Dimension	al Geometri	ic Concepts		al Geometri		Stati	stics
	Not Addressed in the Unit											
NJSLS	SLO	Units	1A	1B	2A	2B	2C	3A	3B	3C	<b>4</b> A	<b>4</b> B
	RATIOS and PROPORTIONAL RE		SHIPS									
7.RP.A.1	WALT compute unit rates involving ratios of fractions (complex fractions) in			1	1		1					
				-	-		1					
	WALT decide whether two quantities show a proportional relationship by											
	testing for equivalent ratios in a table											
	WALT decide whether two quantities show a proportional relationship by											
	graphing on a coordinate plane and observing whether the graph is a straight											
7.RP.A.2	line through the origin											
ecognize and represent proportional relationships between quantities.												
Decide whether two quantities are in a proportional relationship, e.g.,												
y testing for equivalent ratios in a table or graphing on a coordinate lane and observing whether the graph is a straight line through the	WALT identify the constant of proportionality (unit rate) in equations and											
origin.	verbal descriptions of proportional relationships											
Identify the constant of proportionality (unit rate) in tables, graphs,												
equations, diagrams, and verbal descriptions of proportional	WALT identify the constant of proportionality (unit rate) in tables, graphs, and											
relationships.	diagrams											
Represent proportional relationships by equations. For example, if												
otal cost t is proportional to the number n of items purchased at a istant price p, the relationship between the total cost and the number	WALT represent proportional relationships by equations using the constant of											
of items can be expressed as $t = pn$ .	proportionality (unit rate)											
Explain what a point $(x, y)$ on the graph of a proportional relationship												
eans in terms of the situation, with special attention to the points $(0,$												
0) and $(1, r)$ where r is the unit rate.	WALT explain what a point (x, y) on the graph of a proportional relationship											
	means in terms of the situation, with special attention to the points $(0, 0)$ and $(1, 0)$											
	<i>r</i> ) where <i>r</i> is the unit rate											
				1		I	1					
7 DB + 2	WALT solve multistep ratio and percent problems using proportional			ļ								
<b>7.RP.A.3</b> Use proportional relationships to solve multistep ratio and percent	WALT solve multistep ratio and percent problems using proportional											
roblems. Examples: simple interest, tax, markups and markdowns,	WALT solve multistep ratio and percent problems using proportional											
tuities and commissions, fees, percent increase and decrease, percent error.	WALT solve multistep ratio and percent problems using proportional											
	WALT solve multistep ratio and percent problems using proportional											
								_				
	THE NUMBER SYSTE	EM										
add and subtract rational numbers; represent addition and subtraction	WALT apply previous understandings of addition to add rational numbers				1		1	1	1			
on a horizontal or vertical number line diagram.	WALT describe situations in which opposites combine to make zero				+		+					
Describe situations in which opposite quantities combine to make 0.	WALT describe situations in which opposites combine to make zero WALT show by modeling, a number and its opposite have a sum of zero				+							
Understand $p + q$ as the number located a distance $ q $ from p, in the	WALT show by modering, a number and its opposite nave a sum of zero WALT $p + q$ is the number located a distance $ q $ from p, in the positive or											
ositive or negative direction depending on whether q is positive or	WALT $p + q$ is the number located a distance $ q $ from $p$ , in the positive of WALT represent addition and subtraction of signed rational numbers on a											
egative. Show that a number and its opposite have a sum of 0 (are					+							<u> </u>
dditive inverses). Interpret sums of rational numbers by describing real-world contexts.	WALT interpret sums of rational numbers in real world situations				+							
Understand subtraction of rational numbers as adding the addition	WALT apply previous understandings of subtraction to subtract rational								-			
Understand subtraction of rational numbers as adding the additive verse, $p - q = p + (-q)$ . Show that the distance between two rational	WALT subtraction of rational numbers is the same as adding the additive						l					
nbers on the number line is the absolute value of their difference and apply this principle in real-world contexts.	WALT show by modeling on a number line that the distance between two											
appry uns principie in real-world contexts.	WALT apply properties of operations as strategies to add and subtract rational											

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ocometer Ref. WALL (That) indicates a concep			U	nit 1		Unit 2			Unit 3		Un	nit 4	
	Focus - Explicit Instruction and Assessment							_					
Key	Revisited and Reinforced			ons with Numbers		s, Inequalitie 1al Geometri			tionality and al Geometri		Probabi Stati	ility and istics	
	Not Addressed in the Unit				Diffeetion		ie concepts	Dimension		e concepto			
			1 4	1D	24	an	20	24	20	20		41	
NJSLS	SLO	Units	1A	1B	2A	2B	2C	3A	3B	3C	4A	<b>4</b> B	
	WALT apply previous understandings of multiplication of fractions to multiply signed rational numbers												
	WALT operations on signed rational numbers continue to satisfy the properties of operations												
7.NS.A.2 Apply and extend previous understandings of multiplication and division of fractions to multiply and divide rational numbers.	WALT the distributive property, leading to products such as $(-1)(-1) = 1$ and the rules for multiplying signed numbers												
Understand that multiplication is extended from fractions to rational umbers by requiring that operations continue to satisfy the properties	WALT interpret the products of signed rational numbers in real world situations												
f operations, particularly the distributive property, leading to products such as $(-1)(-1) = 1$ and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world	WALT apply previous understandings of division of fractions to divide signed rational numbers												
contexts.	WALT integers can be divided as long as the divisor is not zero												
b. Understand that integers can be divided, provided that the divisor is not zero, and every quotient of integers (with non-zero divisor) is a rational number. If p and q are integers, then $-(p/q) = (-p)/q = p/(-q)$ .	WALT division of integers results in a signed rational number						ļ						
Interpret quotients of rational numbers by describing real world contexts.	WALT If p and q are integers, then $-(p/q) = (-p)/(q = p/(-q))$												
c. Apply properties of operations as strategies to multiply and divide rational numbers.	WALT interpret quotients of signed rational numbers by describing real world contexts												
d. Convert a rational number to a decimal using long division; know that the decimal form of a rational number terminates in 0s or eventually repeats.	WALT apply properties of operations as strategies to multiply and divide signed rational numbers WALT convert a rational number to a decimal using long division												
	WALT the decimal form of a rational number terminates in zeros or eventually												
	repeats										Probabi		
7.NS.A.3	WALT solve real-world and mathematical problems involving the four												
Solve real-world and mathematical problems involving the four operations with rational numbers.	WALT solve real-world and mathematical problems involving the four												
	EXPRESSIONS and EQUAT	TIONS											
7.EE.A.1	WALT apply the properties of operations as strategies to add, subtract, factor,		[	I		1	1	T	1	Γ	[	1	
/.EE.A.1	wAL1 apply the properties of operations as surfages to add, subtract, factor,												
7.EE.A.2	WALT rewriting an expression in different forms can clarify the problem and												
7.EE.B.3	WALT convert between forms (fractions, decimals, and whole numbers) as												
Solve multi-step real-life and mathematical problems posed with	WALT apply the properties of operations to calculate with numbers in any form												
positive and negative rational numbers in any form (whole numbers, ractions, and decimals), using tools strategically. Apply properties of	when solving multi-step real-life and mathematical problems, and assess the												
operations to calculate with numbers in any form; convert between	reasonableness of answers using mental computation and estimation strategies						1					1	
rms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies.													
mental computation and estimation strategies.													
a. Solve word problems leading to equations of the form $px + q = r$	WALT solve world problems by reasoning about their quantities and												
d p(x + q) = r, where <i>p</i> , <i>q</i> , and <i>r</i> are specific rational numbers. Solve uations of these forms fluently. Compare an algebraic solution to an	WALT compare an algebraic solution to an arithmetic solution, identifying the												
ithmetic solution, identifying the sequence of the operations used in	WALT solve equations of the form $px + q = r$ and $p(x + q) = r$ , where $p$ , $q$ , and												
each approach. or example, the perimeter of a rectangle is 54 cm. Its length is 6 cm.	WALT solve world problems by reasoning about their quantities and												
What is its width?	WALT use variables to represent unknown quantities in mathematical problems												
Solve word problems leading to inequalities of the form $px + q > r$ or $x + q < r$ , where $p$ , $q$ , and $r$ are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem.	WALT describe the solution of an inequality using a graph and inequality statement and interpret its meaning in the context of the problem												

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			Un	it 1		Unit 2			Unit 3		Unit 4		
Key	Focus - Explicit Instruction and Assessment		Operatio										
Rey	Revisited and Reinforced		Rational	Numbers	Dimensional Geometric Concepts			Dimension	al Geometri	c Concepts	Statistics		
	Not Addressed in the Unit						1					1	
NJSLS	SLO	Units	1A	1B	2A	2B	2C	3A	3B	3C	<b>4</b> A	<b>4B</b>	
	GEOMETRY												
7.G.A.1 Solve problems involving scale drawings of geometric figures, cluding computing actual lengths and areas from a scale drawing and reproducing a scale drawing at a different scale.	WALT solve problems involving scale drawings of geometric figures, including computing actual lengths and areas from a scale drawing and reproducing a scale drawing at a different scale												
7.G.A.2	WALT draw geometric shapes with given conditions with technology, with												
Draw (with technology, with ruler and protractor, as well as freehand)	WALT construct triangles from three measures of angles or sides using						alities, and Two-Proportionality and Three-Probability a metric Concepts Dimensional Geometric Concepts Statistics						
cometric shapes with given conditions. Focus on constructing triangles from three measures of angles or sides, noticing when the conditions	WALT construct triangles from three measures of angles or sides using rulers												
determine a unique triangle more than one triangle or no triangle													
<b>7.G.A.3</b> Describe the two-dimensional figures that result from slicing three- mensional figures, as in plane sections of right rectangular prisms and right rectangular pyramids.	WALT describe the two-dimensional figures that result from slicing three- dimensional figures, as in plane sections of right rectangular prisms and right rectangular pyramids												
7.G.B.4 Know the formulas for the area and circumference of a circle and use	WALT know the formulas for area and circumference of a circle												
	WALT solve problems using the formula for circumference of a circle and for												
em to solve problems; give an informal derivation of the relationship between the circumference and area of a circle.	WALT informally derive the relationship between the circumference and area												
	WALT supplementary angles are two angles whose sum is 180 degrees and complementary angles are two angles whose sum is 90 degrees												
7.G.B.5	WALT vertical angles, the pairs of opposite angles made by two intersecting												
Jse facts about supplementary, complementary, vertical, and adjacent	WALT adjacent angles are two angles that share a vertex and a side												
ngles in a multi-step problem to write and solve simple equations for an unknown angle in a figure.	WALT use facts about supplementary, complementary, vertical and adjacent angles in a multi-step problem to write and solve simple equations for an unknown angle in a figure												
7.G.B.6	WALT solve real-world and mathematical problems involving volume and												
Solve real-world and mathematical problems involving area, volume and surface area of two and three-dimensional objects composed of triangles, quadrilaterals, polygons, cubes, and right prisms.	WALT solve real-world and mathematical problems involving area of two- dimensional objects composed of triangles, quadrilaterals, and polygons								roportionality and Three- nsional Geometric Concepts Statistic				
	STATISTICS and PROBAB	II ITV											
	WALT statistics is used to gain information about a population by examining a									<u> </u>			
7.SP.A.1	sample of the population												
Understand that statistics can be used to gain information about a population by examining a sample of the population; generalizations about a population from a sample are valid only if the sample is representative of that population. Understand that random sampling	WALT generalizations about a population from a sample are valid only if the sample is representative of that population												
tends to produce representative samples and support valid inferences.	WALT random sampling tends to produce representative samples of the population and support valid inferences												

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· · · · · · · · · · · · · · · · · · ·			Unit 1			Unit 2			Unit 3		Unit 4		
Key	Focus - Explicit Instruction and Assessment			ons with Numbers	Equations	, Inequalitie al Geometri	s, and Two-	Propo	tionality and al Geometri	d Three-	Probabi Stati		
v	Revisited and Reinforced		Kational	Numbers	Dimension	ai Geometri	c Concepts	Dimension	iai Geometri	ic Concepts	Stati	sues	
	Not Addressed in the Unit												
NJSLS	SLO	Units	1A	1B	2A	2B	2C	3A	3B	3C	<b>4</b> A	4B	
<b>7.SP.A.2</b> Jse data from a random sample to draw inferences about a population with an unknown characteristic of interest. Generate multiple samples (or simulated samples) of the same size to gauge the variation in	WALT use data from a random sample to make inferences about a population with an unknown characteristic												
estimates or predictions. For example, estimate the mean word length in a book by randomly ampling words from the book; predict the winner of a school election based on randomly sampled survey data. Gauge how far off the estimate or prediction might be.	WALT generate multiple samples, or simulated samples, of the same size to gauge variation in estimates or predictions												
<b>7.SP.B.3</b> Informally assess the degree of visual overlap of two numerical data distributions with similar variabilities, measuring the difference between the centers by expressing it as a multiple of a measure of variability. For example, the mean height of players on the basketball team is 10 cm greater than the mean height of players on the soczet team, about wice the variability (mean absolute deviation) on either team; on a dot plot, the separation between the two distributions of heights is noticeable.	WALT informally gauge the extent of visual overlap between two numerical distributions with similar variabilities, measure the difference between the centers and express the difference as a multiple of the measure of variability												
<b>7.SP.B.4</b> Use measures of center and measures of variability for numerical data from random samples to draw informal comparative inferences about two populations. For example, decide whether the words in a chapter of a seventh-grade science book are generally longer than the words in a chapter of a fourth-grade science book.	WALT draw informal comparative inferences about two populations by using the measures of center (mean and median) and measures of variability (interquartile range and mean absolute deviation) from random samples**												
<b>7.SP.C.5</b> Understand that the probability of a chance event is a number between 0 and 1 that expresses the likelihood of the event occurring. Larger numbers indicate greater likelihood. A probability near 0 indicates an nlikely event, a probability around ½ indicates an event that is neither unlikely nor likely, and a probability near 1 indicates a likely event.	WALT the probability of a chance event is a number between 0 and 1 that expresses the likelihood of the event occurring. Larger numbers indicate greater likelihood. A probability near 0 indicates an unlikely event, a probability around ½ indicates an event that is neither unlikely nor likely, and a probability near 1 indicates a likely event												
7.SP.C.6 pproximate the probability of a chance event by collecting data on the chance process that produces it and observing its long-run relative frequency, and predict the approximate relative frequency given the probability.	WALT approximate the probability of a chance event by collecting data on the chance process that it produces observing long run relative frequency												
or example, when rolling a number cube 600 times, predict that a 3 or 6 would be rolled roughly 200 times, but probably not exactly 200 times.	WALT predict the approximate relative frequency												
<b>7.SP.C.7</b> Develop a probability model and use it to find probabilities of events. Compare probabilities from a model to observed frequencies; if the	WALT develop a uniform probability model by assigning equal probability to all outcomes, and use the model to determine probabilities of events												

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			Un	nit 1	Unit 2		Unit 3			Unit 4		
Key	Focus - Explicit Instruction and Assessment		Operati			, Inequalitie			tionality and		Probabi	
Key	Revisited and Reinforced		Rational	Numbers	Dimensional Geometric Concepts			Dimension	al Geometrie	: Concepts	Statistics	
	Not Addressed in the Unit					_						
NJSLS	SLO	Units	1A	1B	2A	2B	2C	3A	3B	<b>3</b> C	<b>4</b> A	<b>4B</b>
a. Develop a uniform probability model by assigning equal probability to all outcomes, and use the model to determine probabilities of events. For example, if a student is selected at random from a class, find the probability that Jane will be selected and the probability that a girl will be selected.	WALT develop a probability model, which may not be uniform, by observing frequencies in data generated from a chance process											
b. Develop a probability model (which may not be uniform) by observing frequencies in data generated from a chance process. For example, find the approximate probability that a spinning penny will land heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny appear to be equally likely based on the observed frequencies?	WALT compare probabilities from a model to observed frequencies and explain possible sources of the discrepancy if the agreement is not good											
7.SP.C.8 Find probabilities of compound events using organized lists, tables, tree diagrams, and simulation.	WALT the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs											
<ul> <li>a. Understand that, just as with simple events, the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs.</li> <li>b. Represent sample spaces for compound events using methods such as organized lists, tables and tree diagrams. For an event described in</li> </ul>	WALT represent the sample space for a compound event using various methods such as, organized lists, tables, and tree diagrams											
<ul> <li>everyday language (e.g., "rolling double sixes"), identify the outcomes in the sample space which compose the event.</li> <li>c. Design and use a simulation to generate frequencies for compound events.</li> <li>For example, use random digits as a simulation tool to approximate the answer to the question: If 40% of donors have type A blood, what is the</li> </ul>	WALT identify the outcomes in the sample space which compose an event that has been described in everyday language											
answer to the question: If 40% of adonors have type A blood, what is the probability that it will take at least 4 donors to find one with type A blood?	WALT design and use a simulation to generate frequencies for compound events											